

Operational Amplifier & aplikasinya

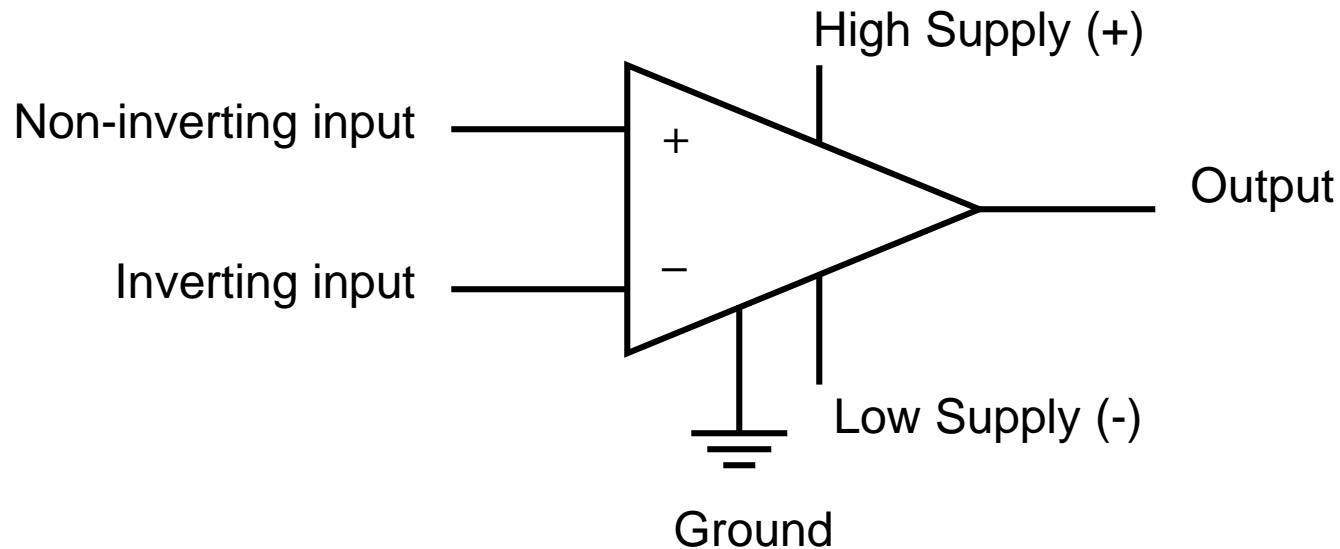
Elektronika (TKE 4012)

Eka Maulana

Op Amp

- Op Amp is short for operational amplifier
- Amplifiers provide gains in voltage or current
- Op amps can convert current to voltage

Symbol Op Amp



Applications of Op Amps

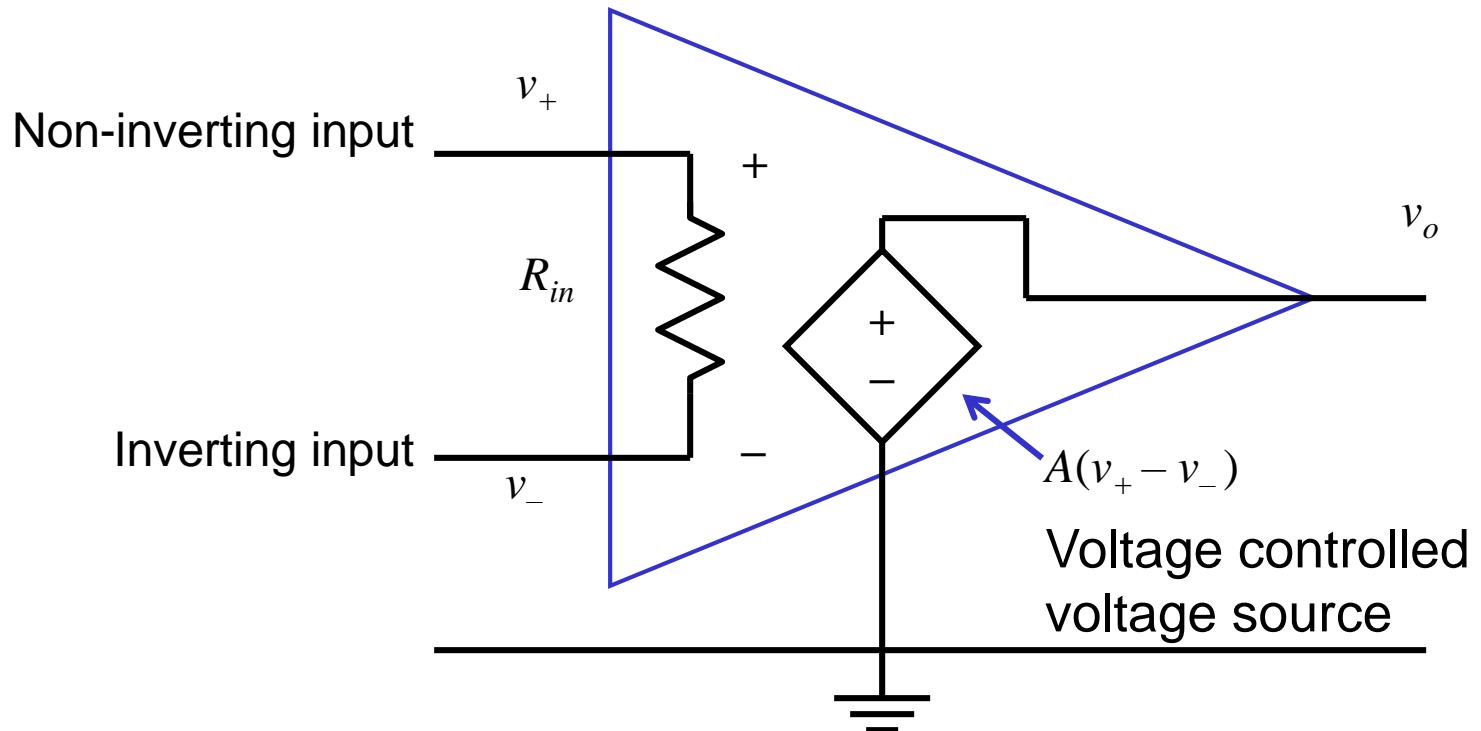
- Op amps can be configured in many different ways using resistors and other components
- Most configurations use feedback
- Op amps can provide a buffer between two circuits
- Op amps can be used to implement integrators and differentiators
- Lowpass and bandpass filters

Aplikasi Op-amp

- Komparator
- Penguat Non-inverting
- Penguat Inverting
- Penguat penjumlah
- Voltage follower
- Converter Tegangan ke Arus
- Integrator & Diferensiator
- Penguat diferensial
- Penguat instrumentasi
- Penguat histerisis

The Op Amp Model

- An operational amplifier is modeled as a voltage-controlled voltage source.



Typical vs. Ideal Op Amps

Typical Op Amp:

- The input resistance (impedance) R_{in} is very large (practically infinite).
- The voltage gain A is very large (practically infinite).

Ideal Op Amp:

- The input resistance is infinite.
- The gain is infinite.
- The op amp is in a negative feedback configuration.

Consequences of the Ideal

- Infinite input resistance means the current into the inverting (–) input is zero:

$$i_- = 0$$

- Infinite gain means the difference between v_+ and v_- is zero:

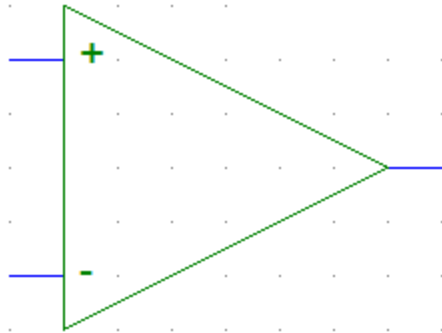
$$v_+ - v_- = 0$$

Typical Op Amp Parameters

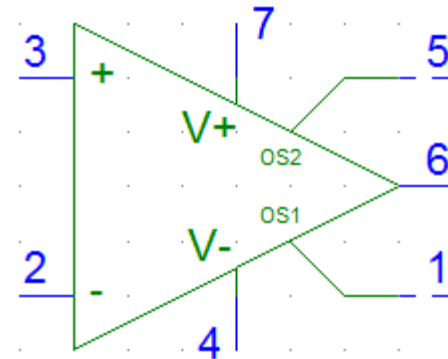
Parameter	Variable	Typical Ranges	Ideal Values
Open-Loop Voltage Gain	A	10^5 to 10^8	∞
Input Resistance	R _i	10^5 to 10^{13} W	∞ W
Output Resistance	R _o	10 to 100 W	0 W
Supply Voltage	V _{cc} /V ⁺ -V _{cc} /V ⁻	5 to 30 V -30V to 0V	N/A N/A

Symbols for Ideal and Real Op Amps

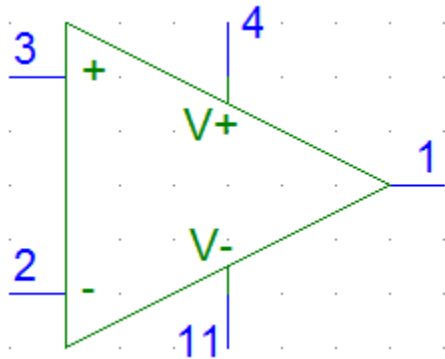
OpAmp



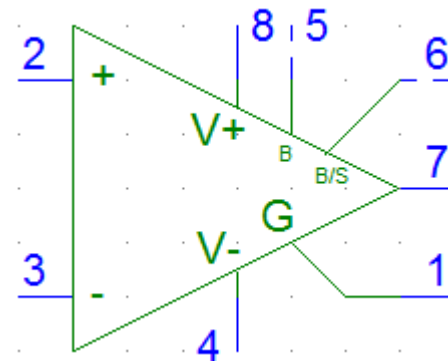
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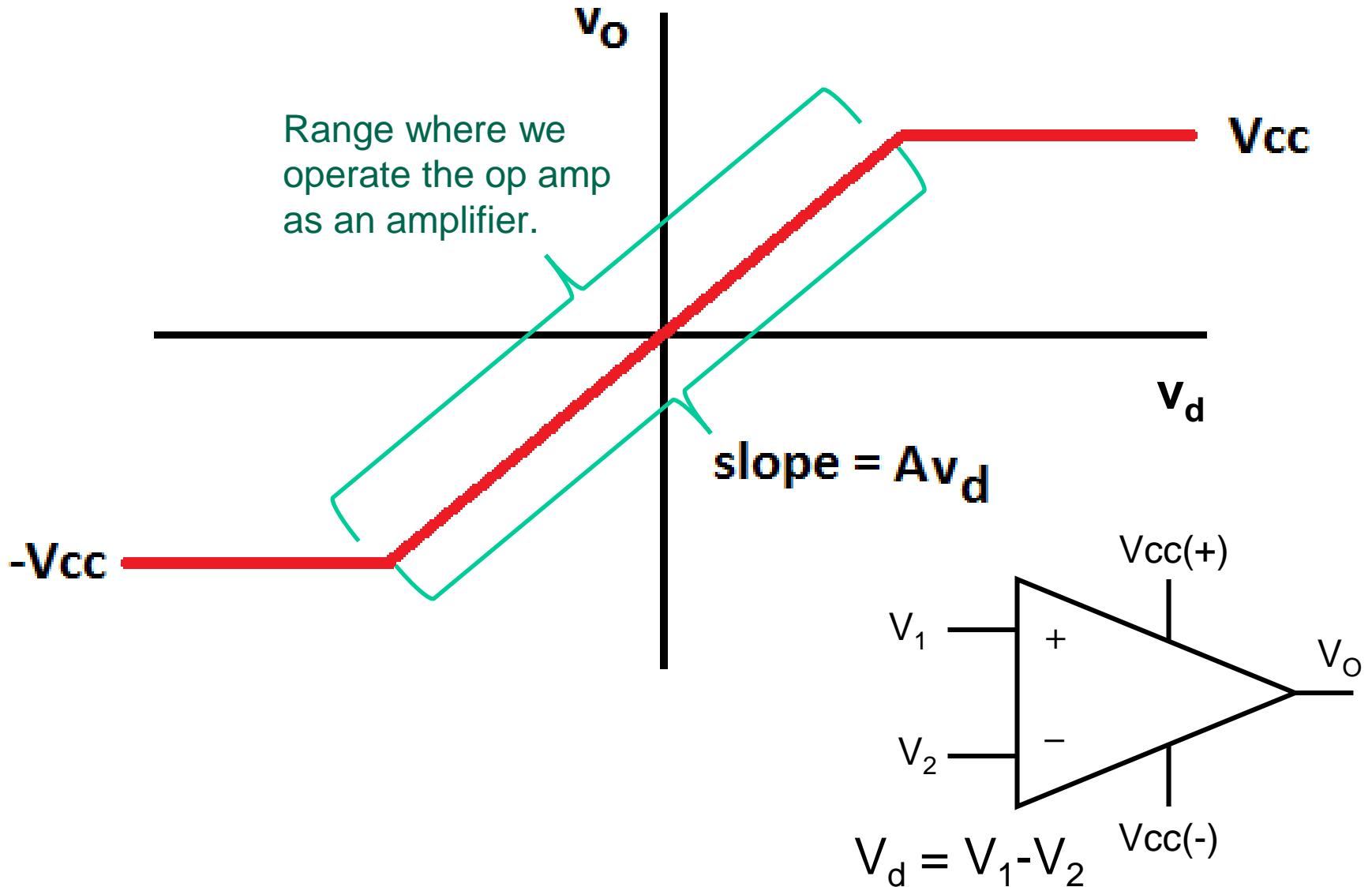
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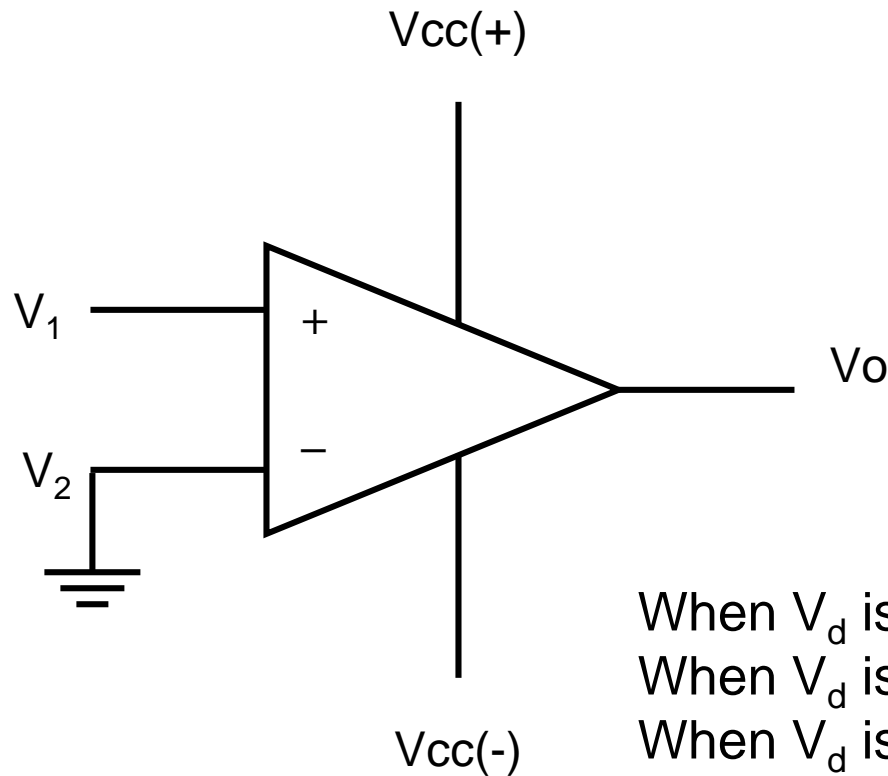
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Voltage Transfer Characteristic



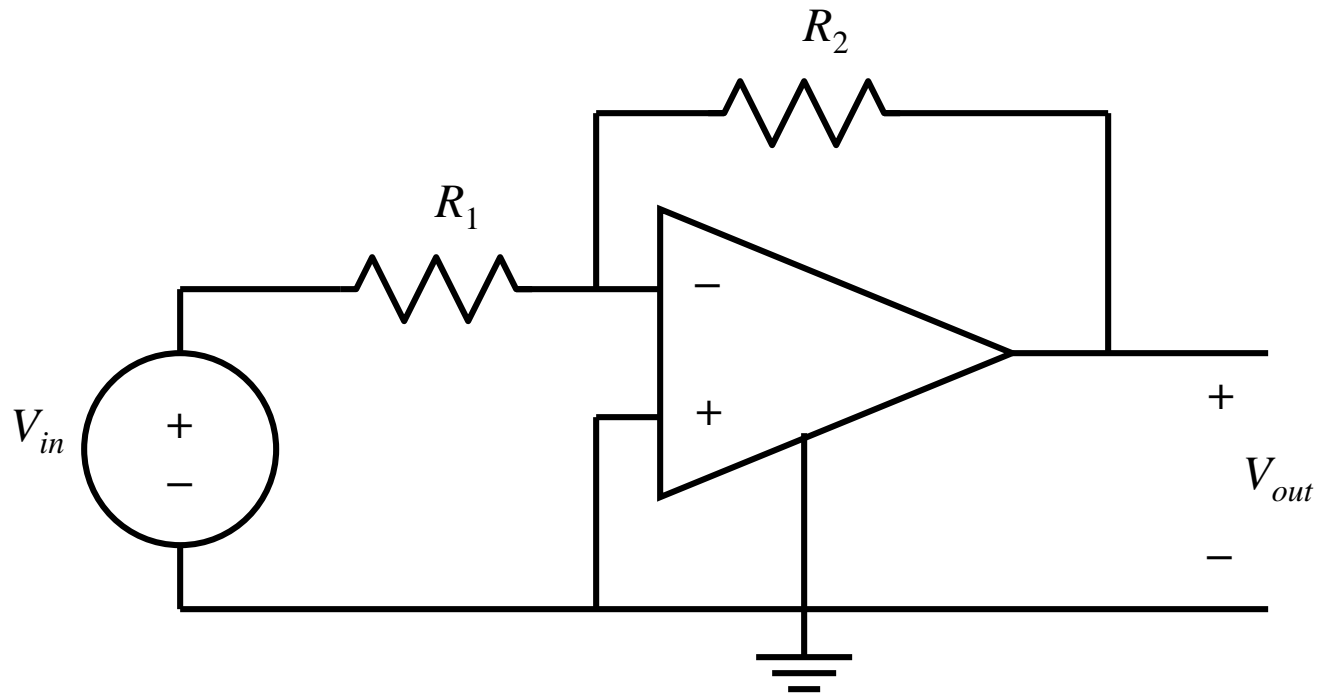
Example #1: Voltage Comparator



$$V_d = V_1 - V_2$$

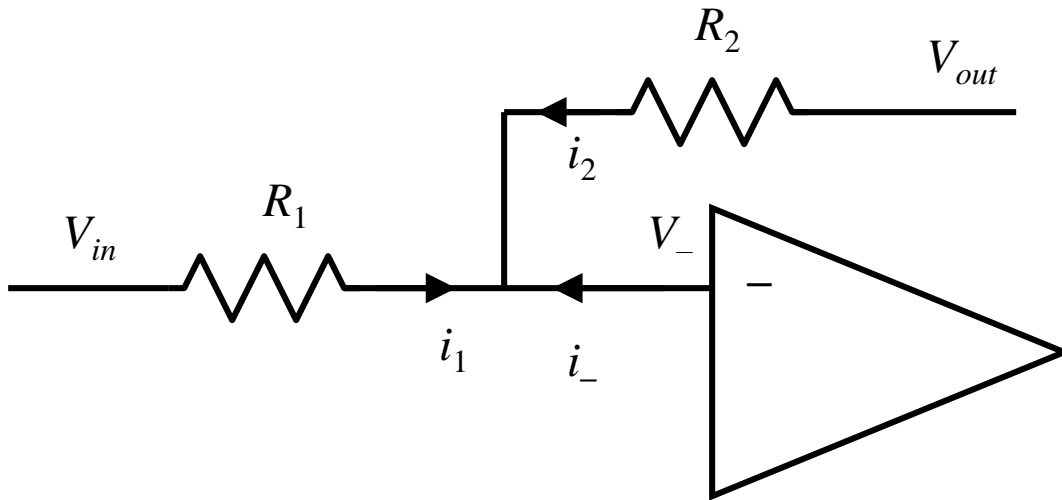
When V_d is larger than 0V, $V_o = V_{cc(+)}$.
When V_d is smaller than 0V, $V_o = V_{cc(-)}$.
When V_d is equal to 0V, $V_o = 0V$.

Penguat Inverting Basic



Solving the Amplifier Circuit

Apply KCL at the inverting (–) input:



$$i_1 + i_2 + i_- = 0$$

$$i_- = 0$$

$$i_1 = \frac{V_{in} - V_-}{R_1} = \frac{V_{in}}{R_1}$$

$$i_2 = \frac{V_{out} - V_-}{R_2} = \frac{V_{out}}{R_2}$$

Solve for V_{out}

- From KCL

$$i_1 + i_2 + i_- = 0$$

$$\frac{V_{in}}{R_1} + \frac{V_{out}}{R_2} + 0 = 0$$

$$\frac{V_{in}}{R_1} = -\frac{V_{out}}{R_2}$$

- Thus, the amplifier gain is

$$\frac{V_{out}}{V_{in}} = -\frac{R_2}{R_1}$$

Recap

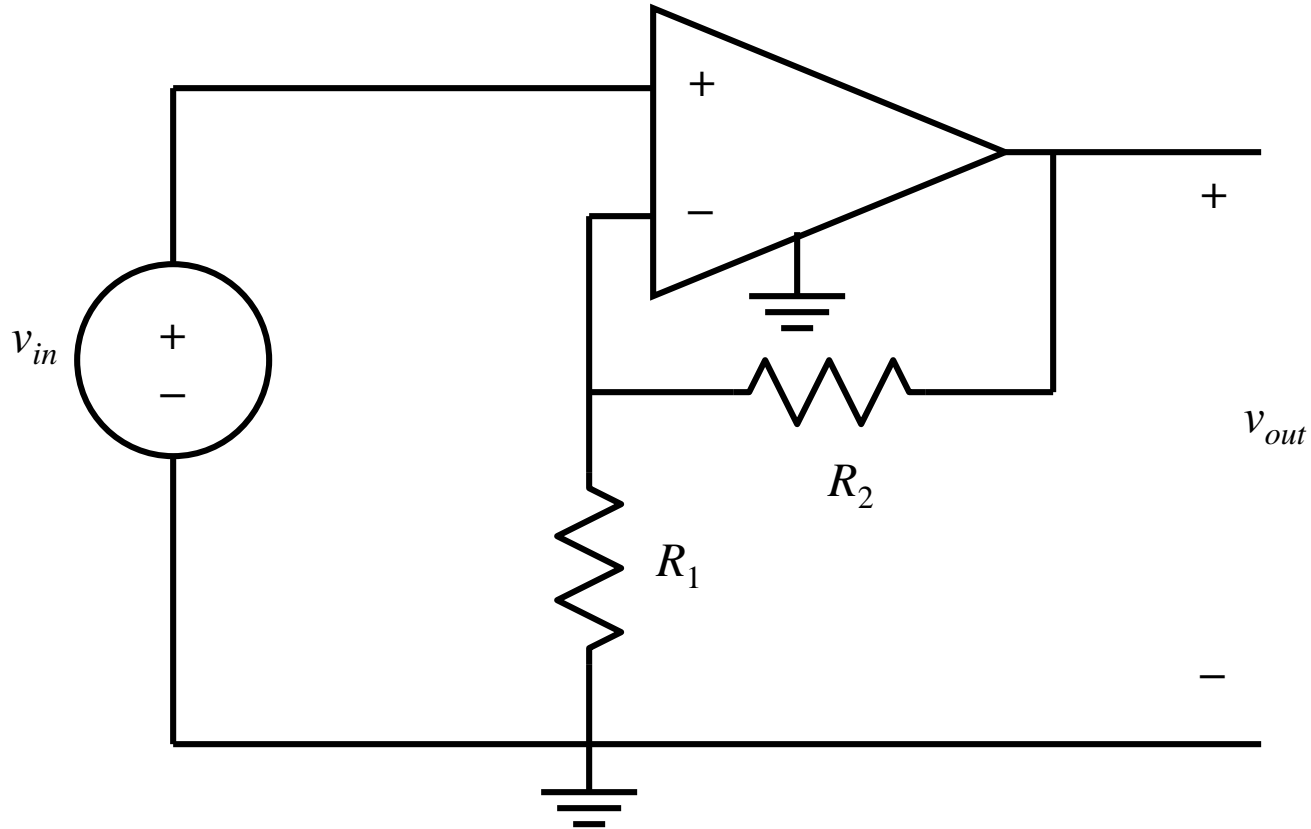
- The ideal op-amp model leads to the following conditions:

$$i_- = 0 = i_+$$

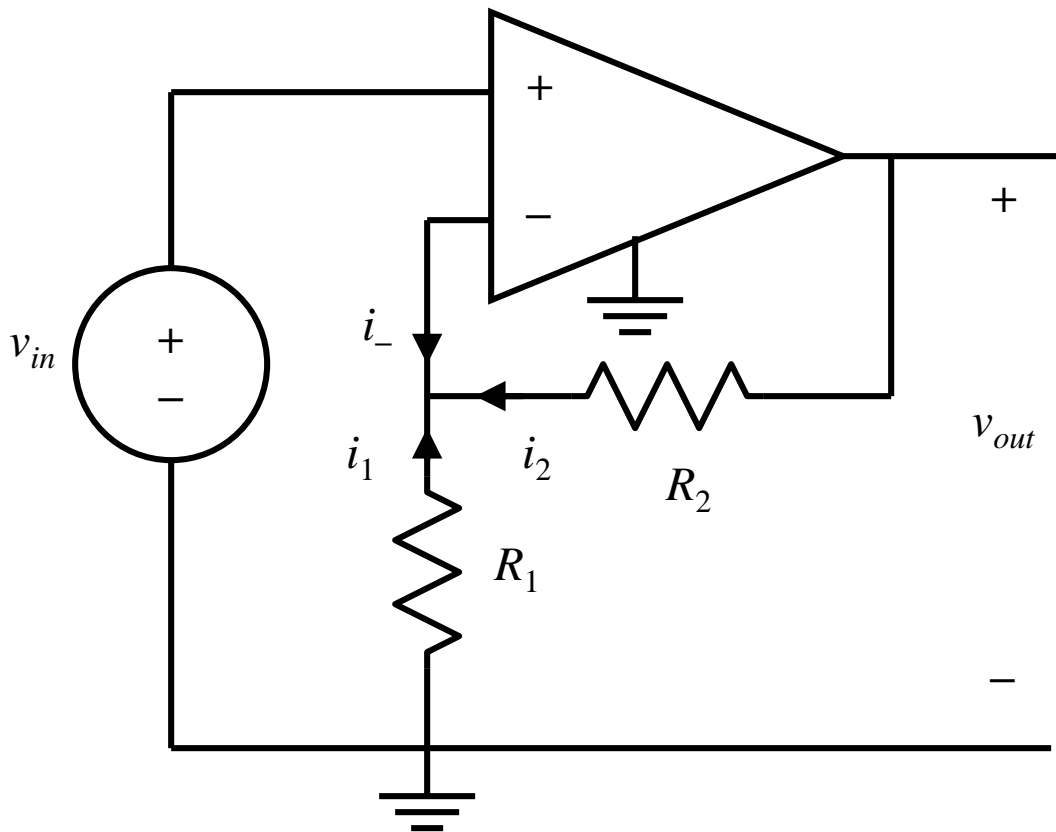
$$v_+ = v_-$$

- These conditions are used, along with KCL and other analysis techniques (e.g., nodal), to solve for the output voltage in terms of the input(s)

Penguat Non-inverting



KCL at the Inverting Input



$$i_- = 0$$

$$i_1 = \frac{-v_-}{R_1} = \frac{-v_{in}}{R_1}$$

$$i_2 = \frac{v_{out} - v_-}{R_2}$$

$$= \frac{v_{out} - v_{in}}{R_2}$$

Solve for v_{out}

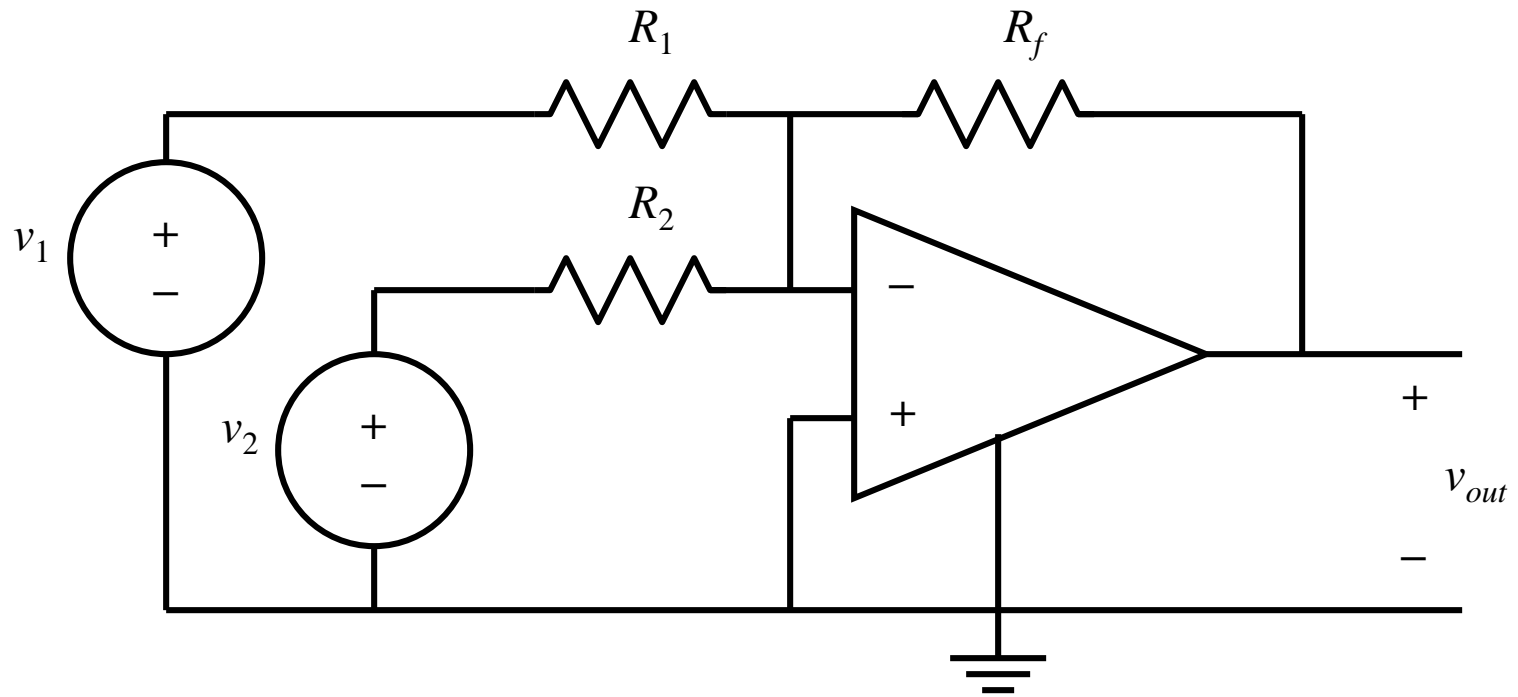
$$i_1 + i_2 + i_- = 0$$

$$\frac{-v_{in}}{R_1} + \frac{v_{out} - v_{in}}{R_2} = 0$$

$$v_{out} = v_{in} \left(1 + \frac{R_2}{R_1} \right)$$

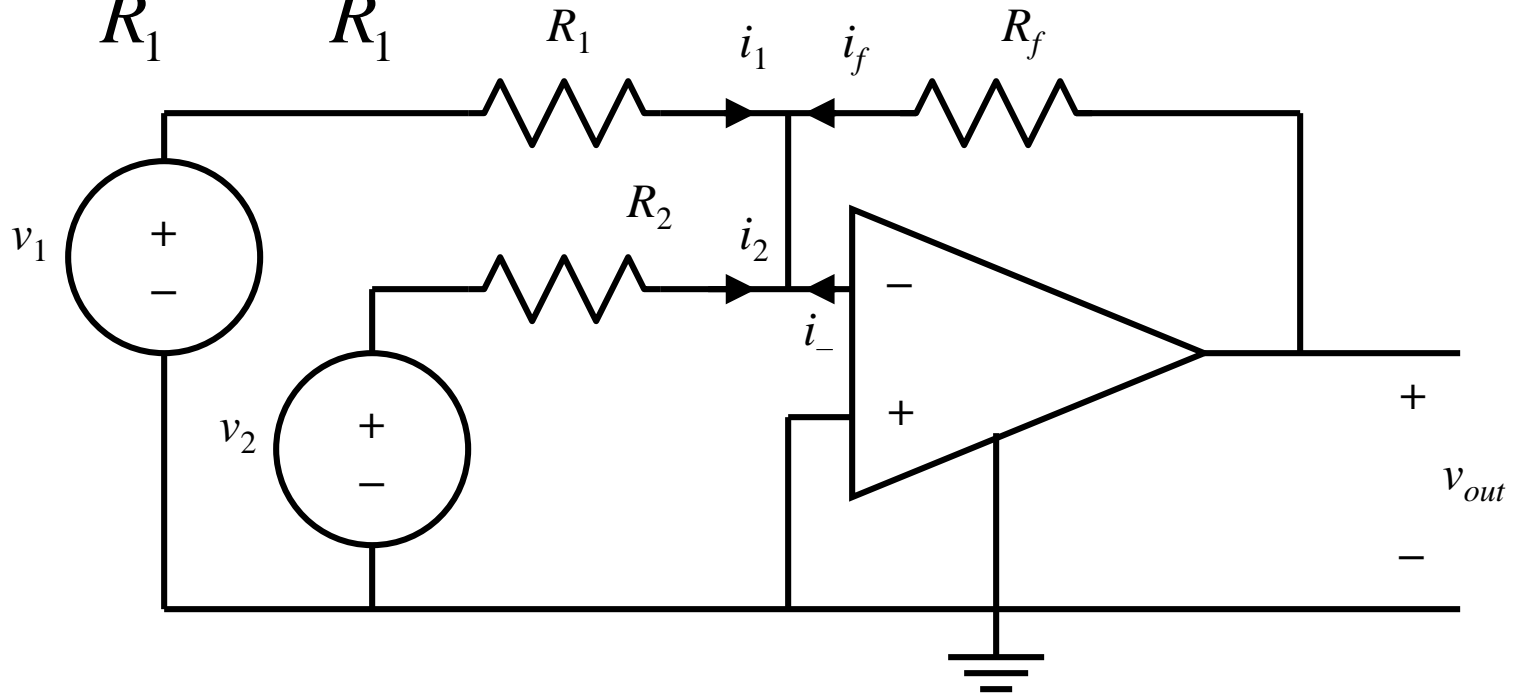
- Hence, the non-inverting amplifier has a gained output ($>$ unity) relative to the resistance ratio

Rangkaian Penjumlah



KCL at the Inverting Input

$$i_1 = \frac{v_1 - v_-}{R_1} = \frac{v_1}{R_1} \qquad i_- = 0$$



$$i_f = \frac{v_{out} - v_-}{R_f} = \frac{v_{out}}{R_f}$$

$$i_2 = \frac{v_2 - v_-}{R_2} = \frac{v_2}{R_2}$$

Solve for v_{out}

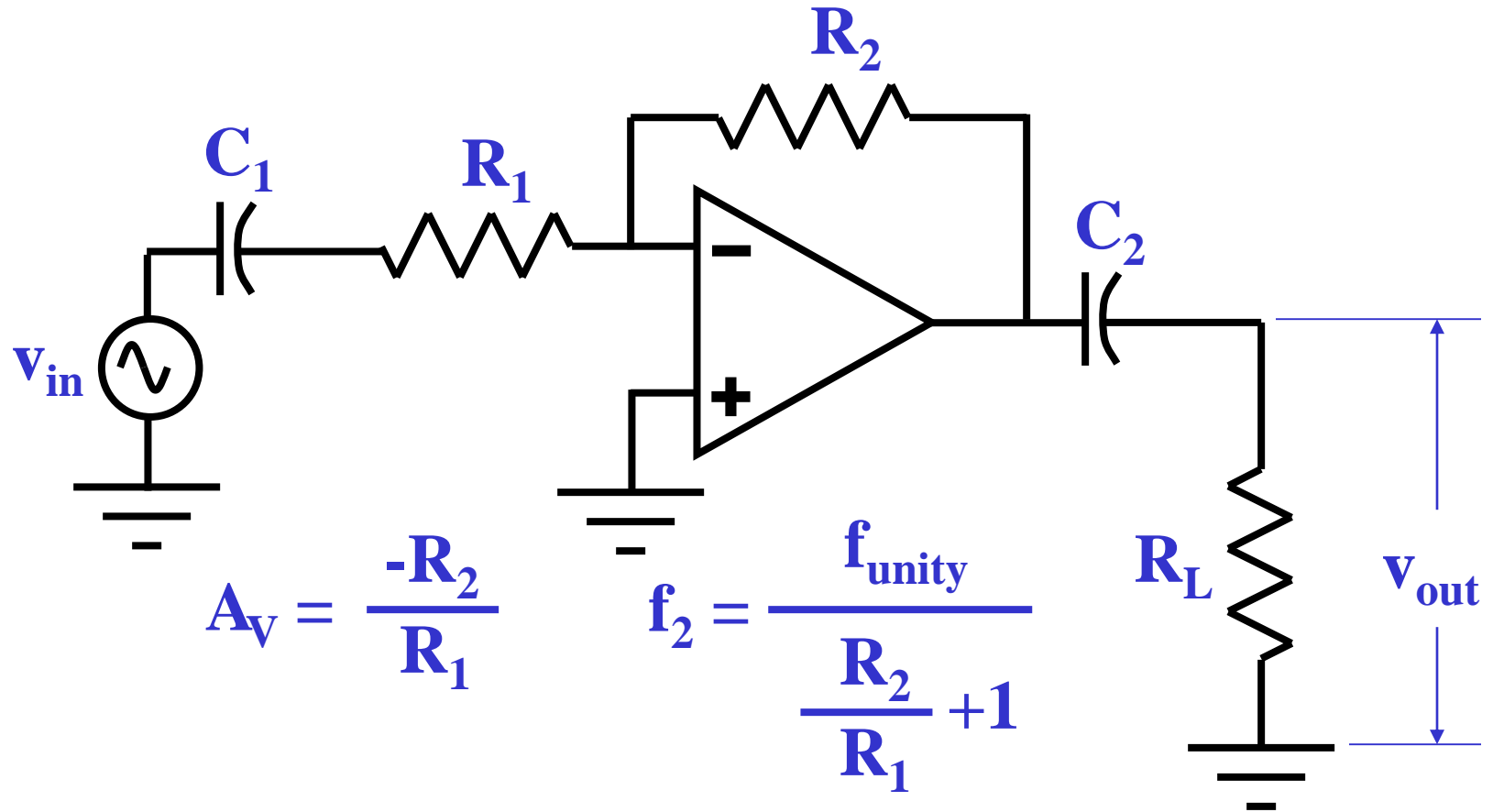
$$i_1 + i_2 + i_f + i_- = 0$$

$$\frac{v_1}{R_1} + \frac{v_2}{R_2} + \frac{v_{out}}{R_f} = 0$$

$$v_{out} = -\frac{R_f}{R_1}v_1 - \frac{R_f}{R_2}v_2$$

- So, the mixer circuit output is a (negative) combination of the input voltages

ac coupled inverting amplifier



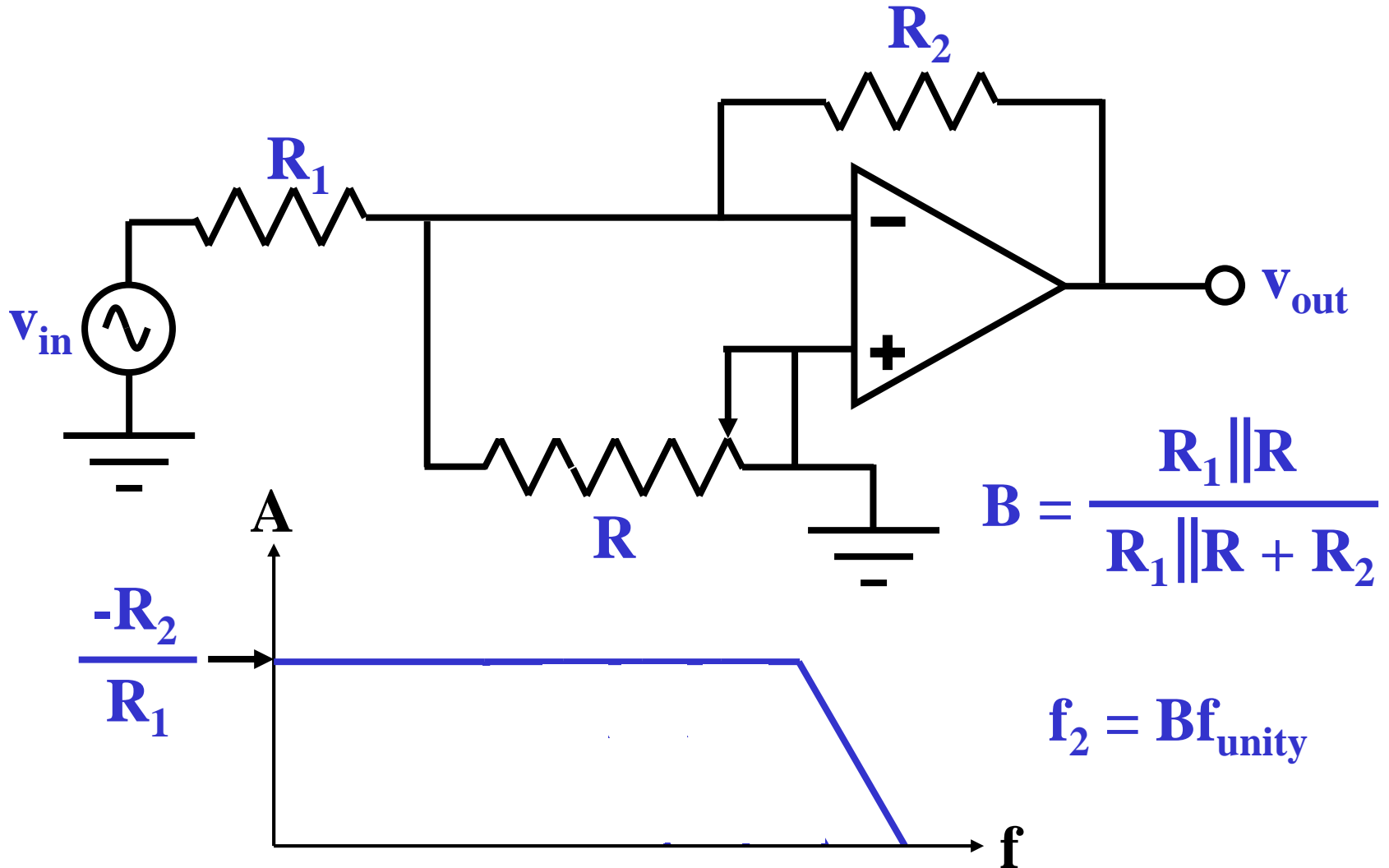
$$A_v = \frac{-R_2}{R_1}$$

$$f_2 = \frac{f_{\text{unity}}}{\frac{R_2}{R_1} + 1}$$

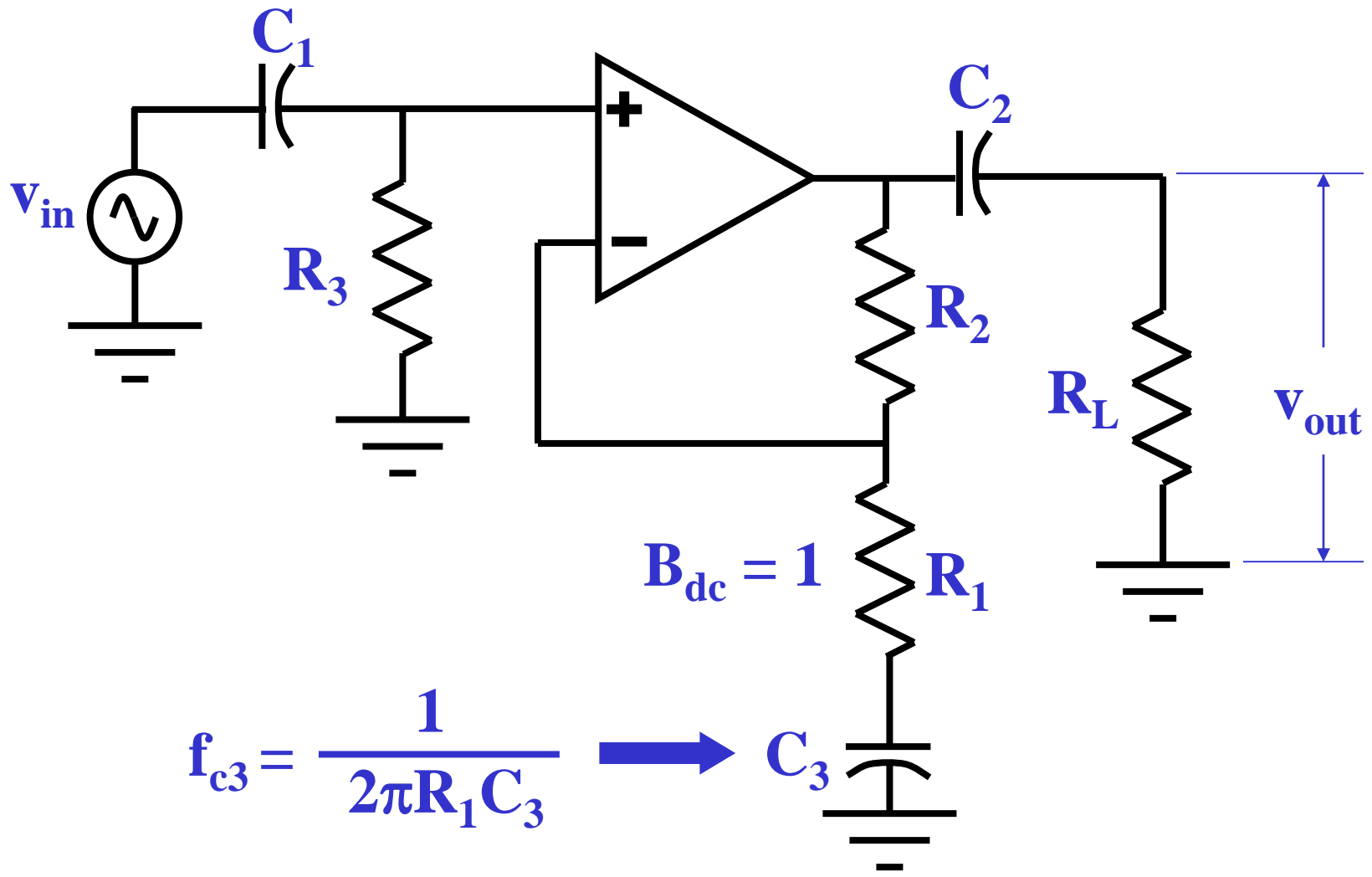
$$f_{c1} = \frac{1}{2\pi R_1 C_1}$$

$$f_{c2} = \frac{1}{2\pi R_L C_2}$$

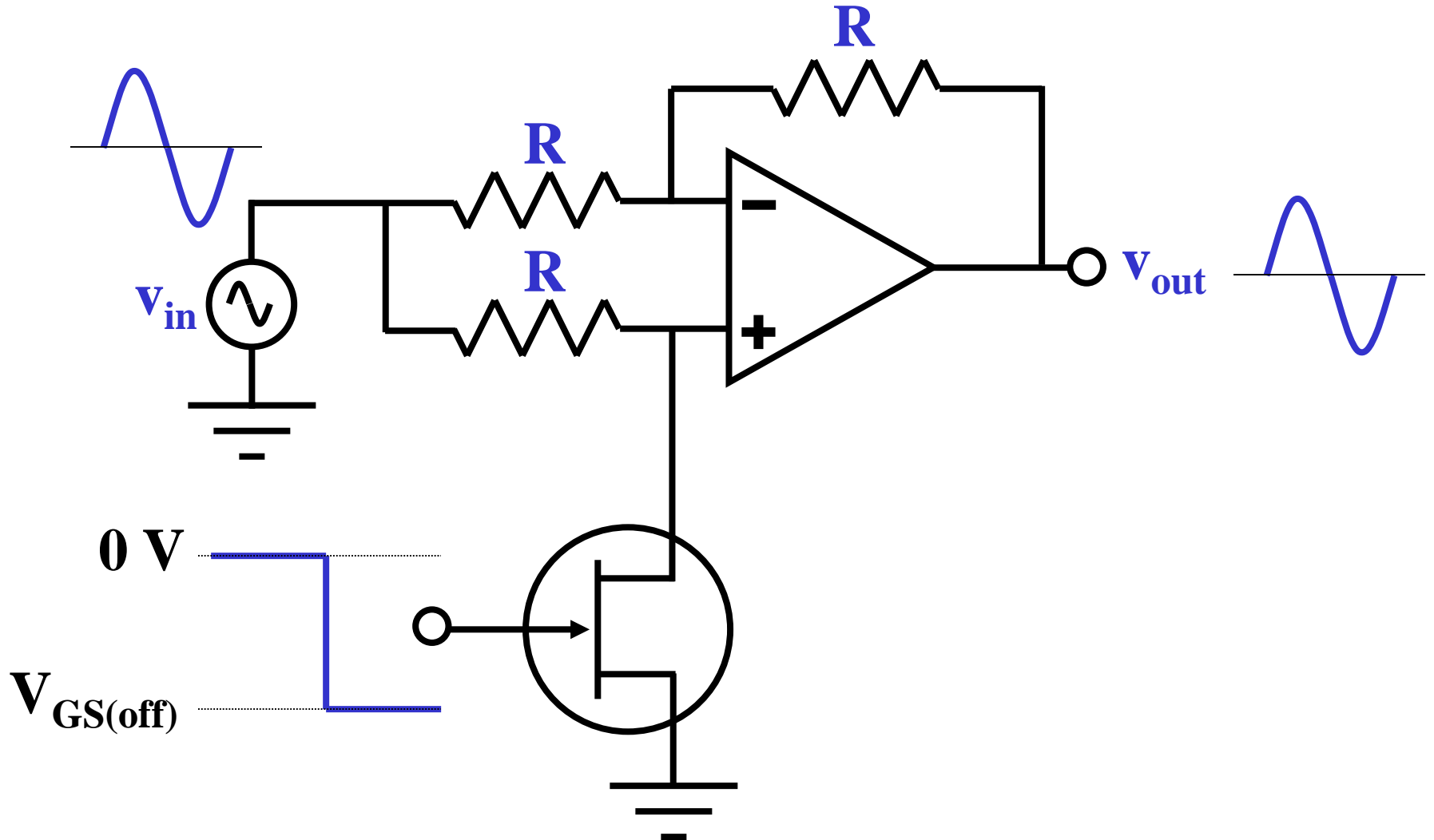
Adjustable bandwidth



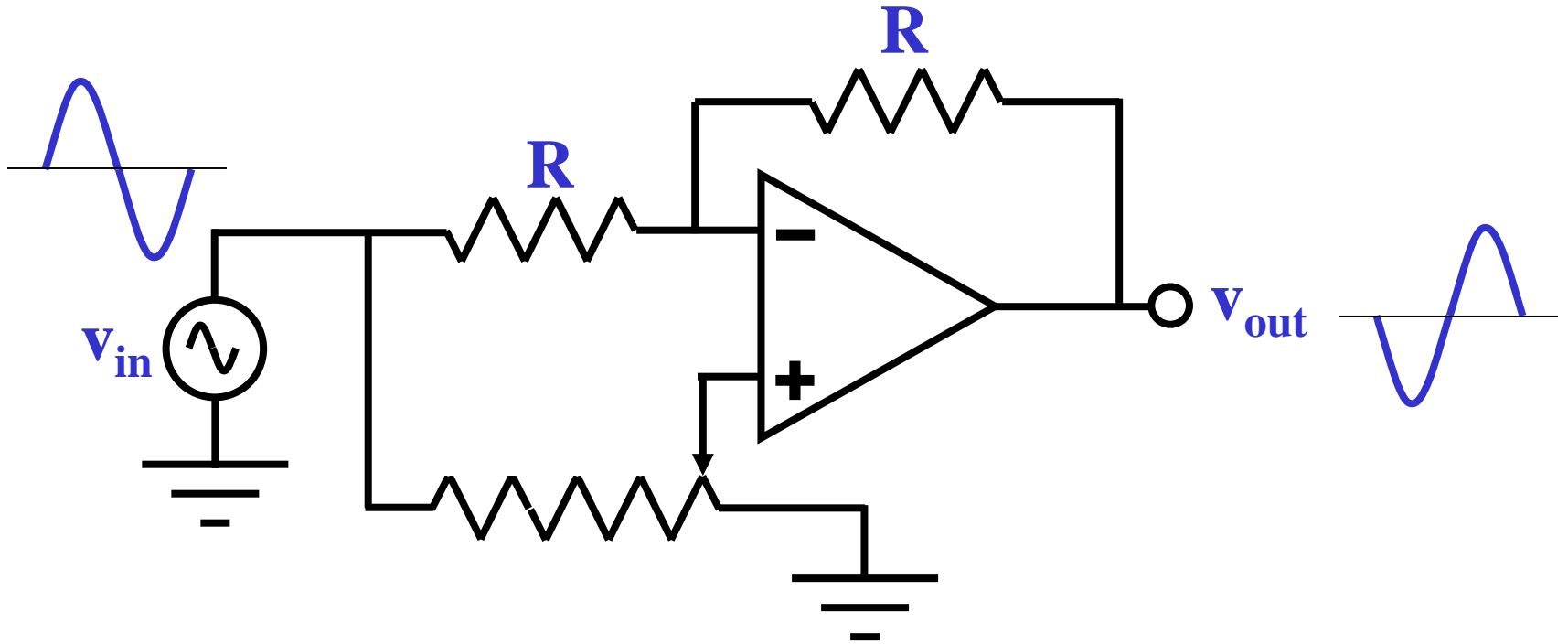
ac coupled noninverting amplifier



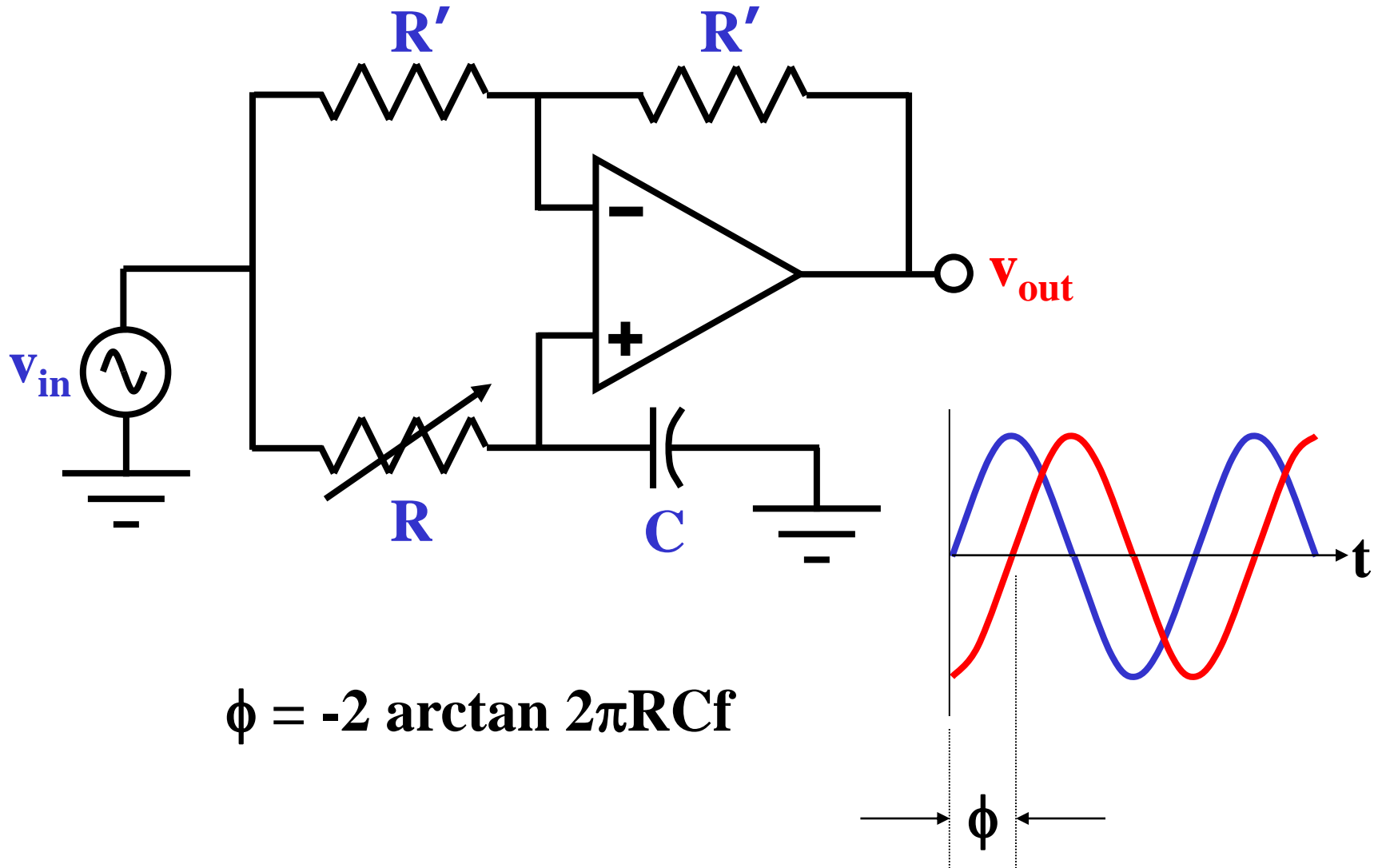
JFET controlled inverter/noninverter



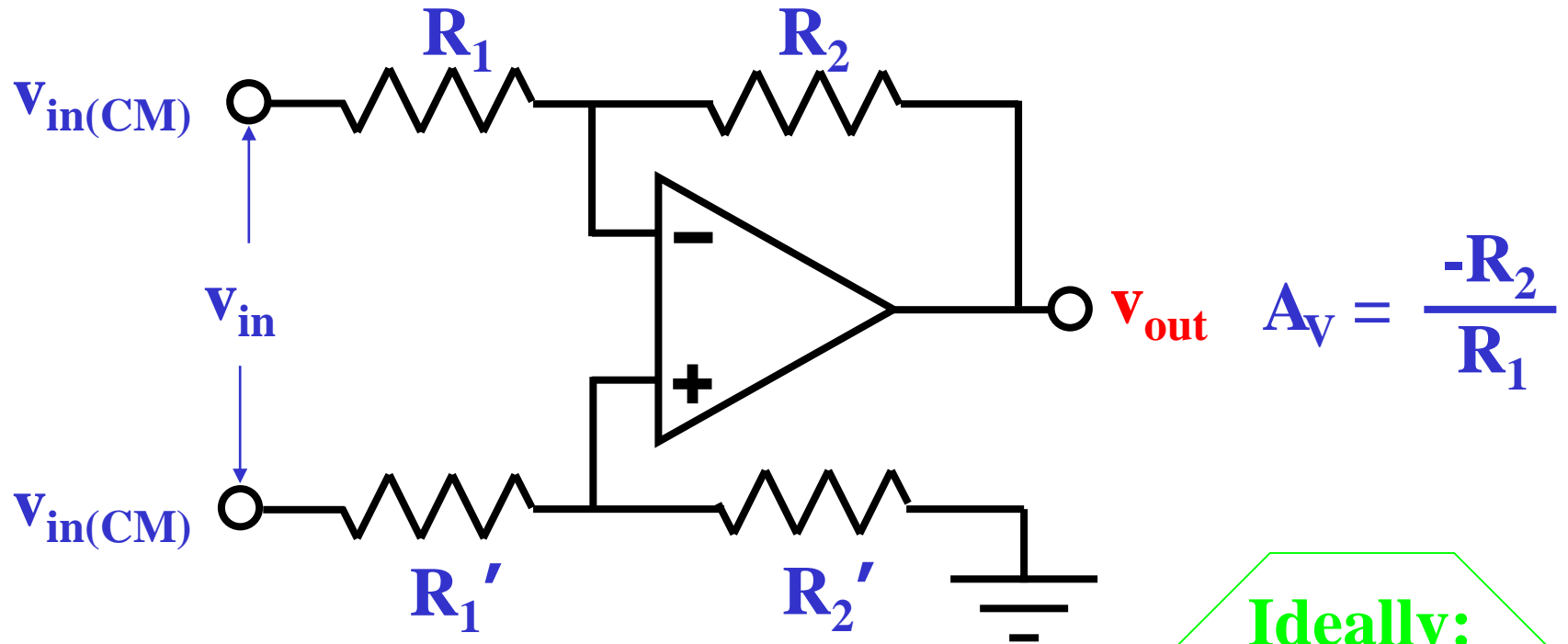
Adjustable gain of ± 1



Phase shifter



Differential amplifier

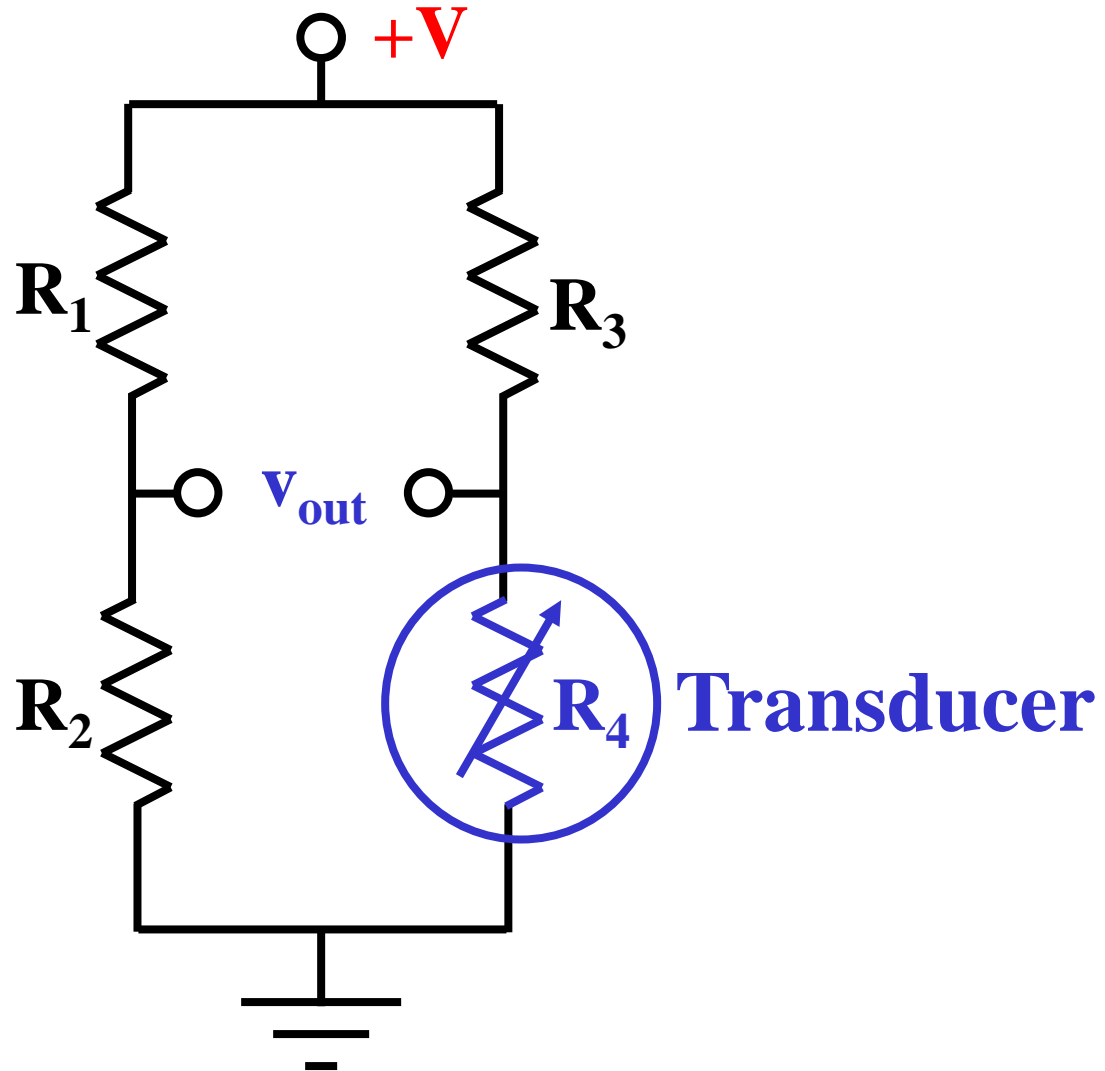


**CMRR limiting factors
are the op amp itself and
the tolerance of the resistors.**

**Ideally:
 $R_1 = R_1'$
 $R_2 = R_2'$**

$$\pm 2 \frac{\Delta R}{R} < A_{CM} < \pm 4 \frac{\Delta R}{R}$$

Wheatstone bridge



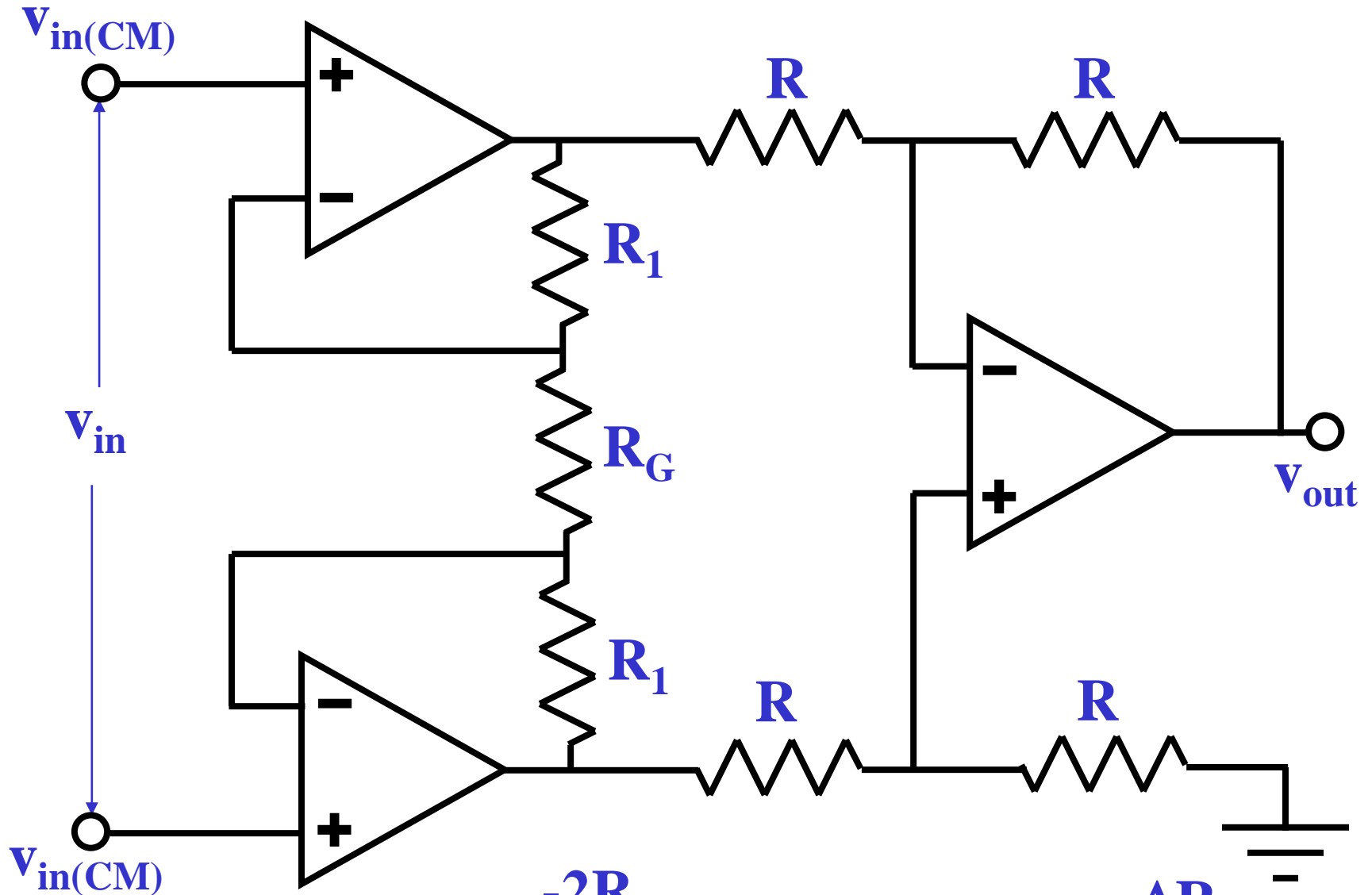
Wheatstone bridge

- **The differential output signal is small.**
- **The common-mode output signal is large.**
- **Differential amplifiers are a good match.**
- **Transducers convert nonelectrical quantities into an electrical quantity such as resistance:**
 - **examples: photoresistor, thermistor, strain gage**

Instrumentation amplifiers

- **Differential amplifiers optimized for dc performance**
- **Large differential voltage gain**
- **High CMRR**
- **Low input offsets**
- **Low temperature drift**
- **High input impedance**

Instrumentation amplifier



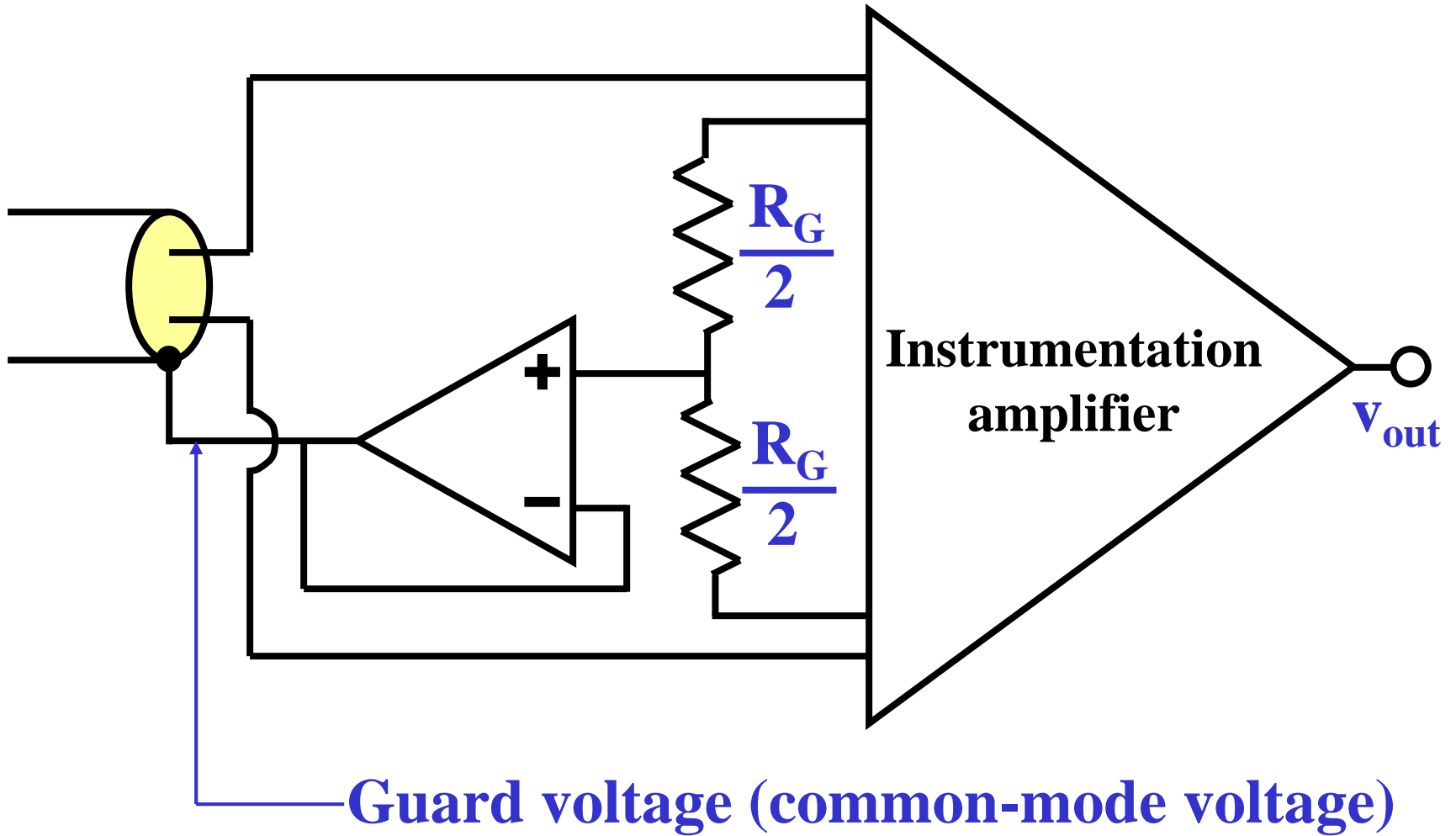
$$A_V = \frac{-2R_1}{R_G} + 1$$

$$A_{CM} = \pm 2 \frac{\Delta R}{R}$$

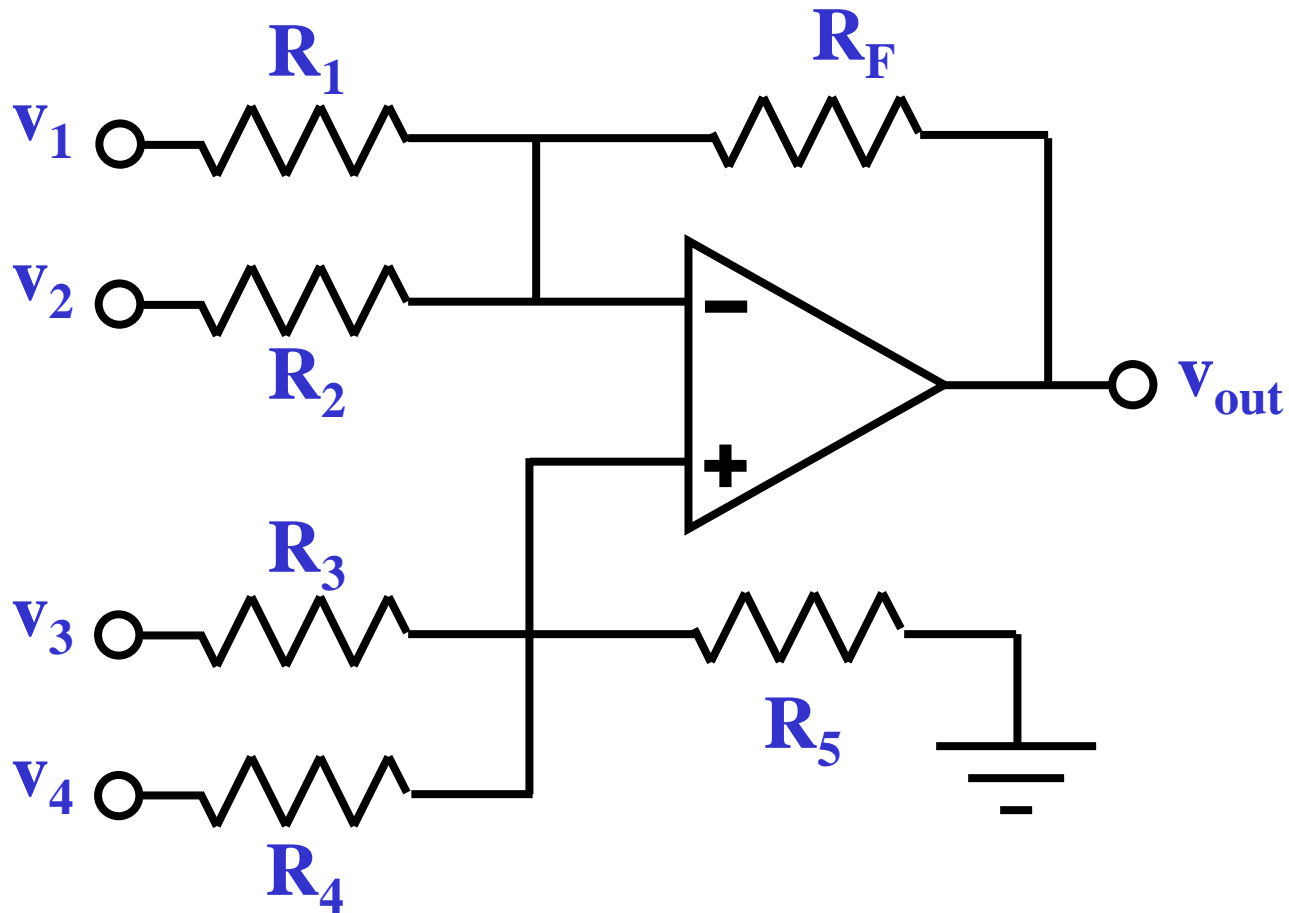
Monolithic instrumentation amplifiers

- Use laser-trimmed resistors for high performance.
- Resistor R_G is external and is selected to set the differential gain.
- Resistor R_G can be split into two devices for *guard driving* (bootstrapping the cable shield to the common-mode potential).

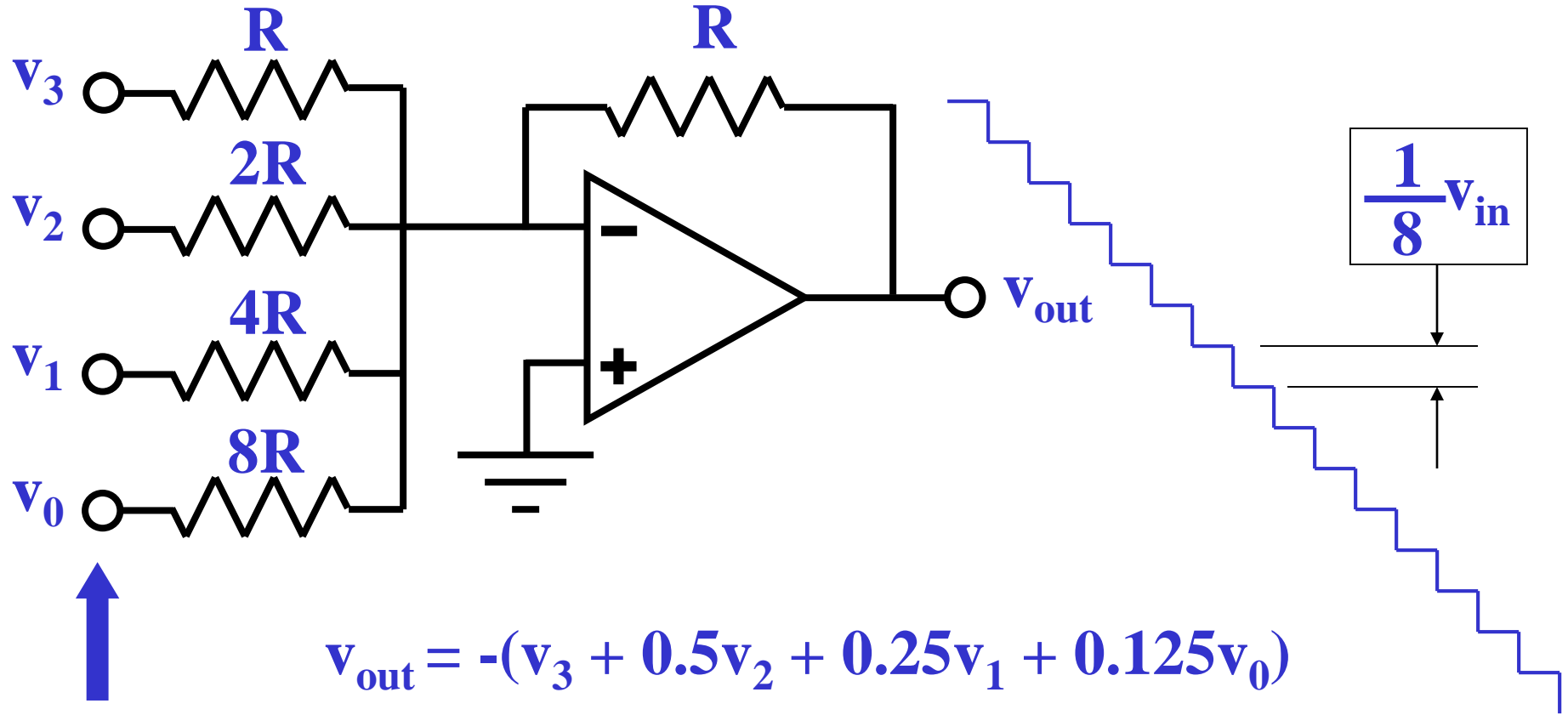
Guard driving



Summing amp with inverting and noninverting inputs



D/A converter

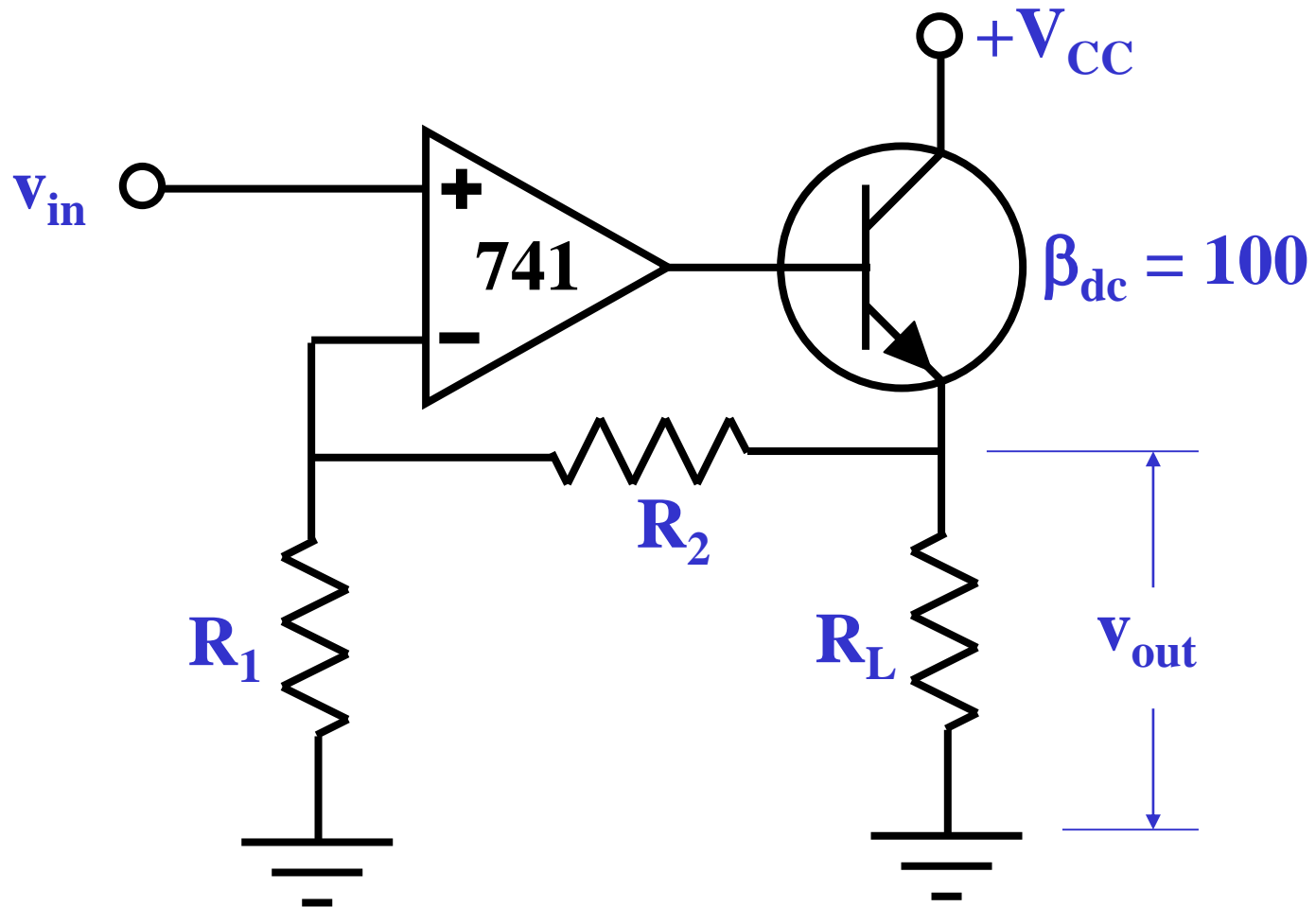


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 $N = 4$

$$v_{out} = -(v_3 + 0.5v_2 + 0.25v_1 + 0.125v_0)$$

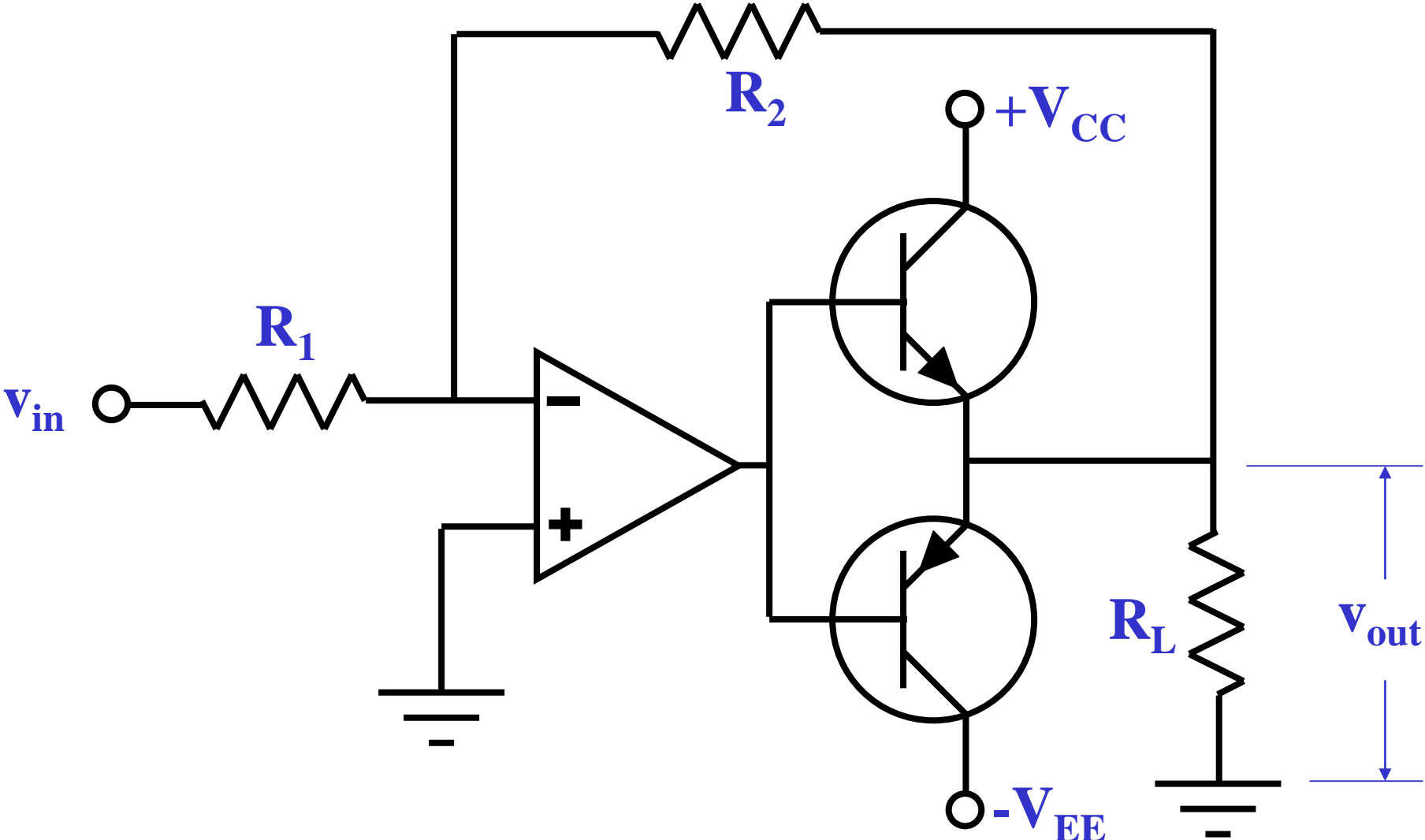
$$\text{Possible combinations} = 2^N = 2^4 = 16$$

Unidirectional current booster

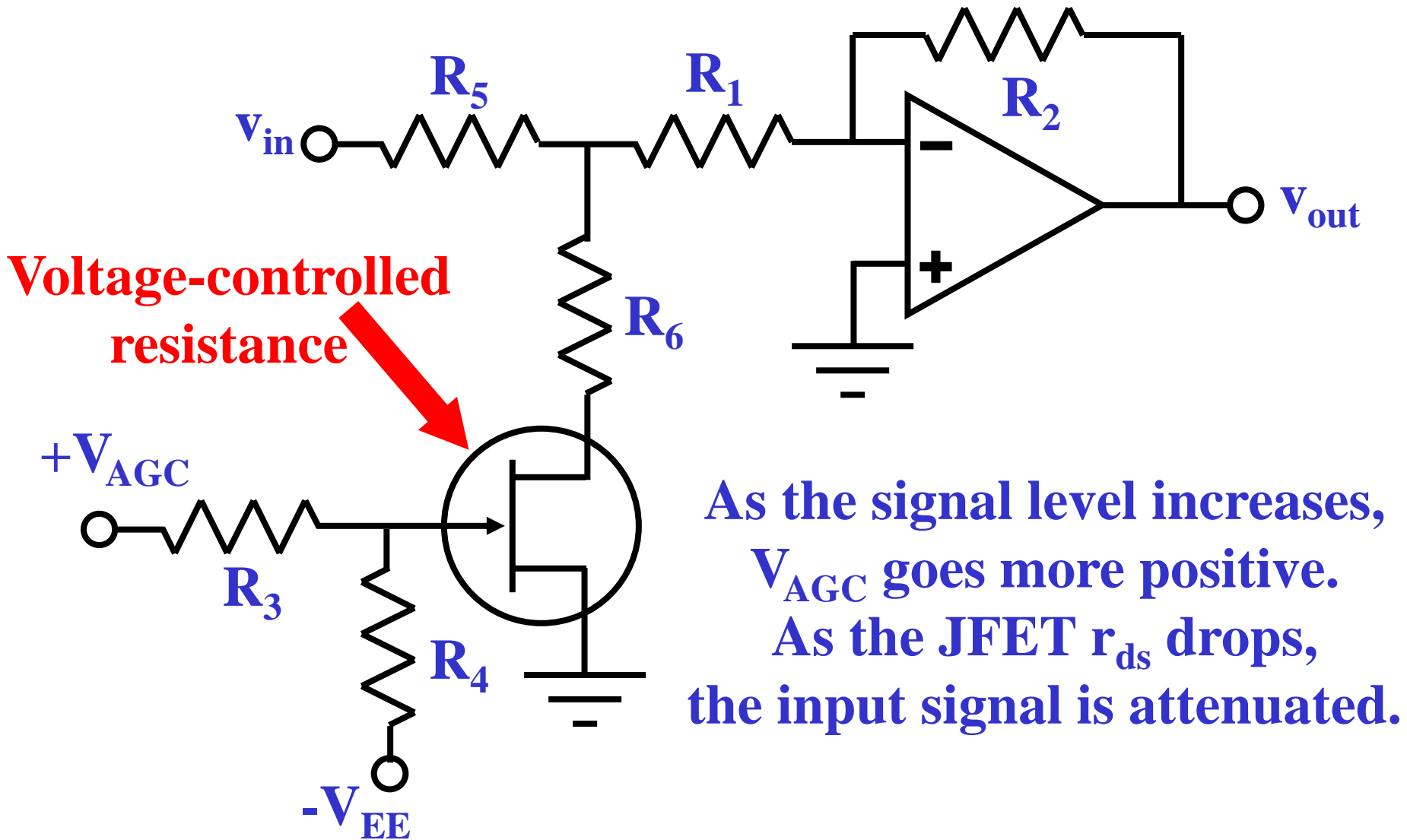


$$I_{\max} = \beta_{dc} I_{SC} = 100(25 \text{ mA}) = 2.5 \text{ A}$$

Bidirectional current booster



AGC circuit



Single-supply inverting amplifier

